## GameX

Input file: standard input
Output file: standard output
Time limit: 1 second
Memory limit: $\quad 512$ megabytes
Once upon a time, there were two saints named St. Alice and St. Bob.
Being saints were quite boring, so they decided to play a game. The game was about the MEX operation, and was therefore named GameX.

To help you, a mere mortal, to understand the game, we first present the definition of MEX. Given a set $S$ of integers, define $\operatorname{MEX}(S)$ as the smallest natural number which is not in $S$. In other words, $\operatorname{MEX}(S)=\min \{x \in \mathbb{N} \mid x \notin S\}$.
The game went as follows.
Before the game started, $S=\left\{a_{1}, a_{2}, \cdots, a_{n}\right\}$, which contained the Secret of Life, the Universe and Everything.

The two saints moved alternately, with St. Alice being the first. During one's move, he/she could choose an arbitrary integer $x$, and insert $x$ into $S$. So $S$ is updated to $S \cup\{x\}$.
After $k$ rounds, each player made $k$ updates, and now it's time to decide the winner. St. Alice wins iff $\operatorname{MEX}(S)$ is even, and Bob wins otherwise.
Saints are very smart, so both of them made optimal moves. Can a mortal like you decide the winner?

## Input

The first line contains a positive integer $T\left(1 \leq T \leq 10^{4}\right)$, denoting the number of testcases.
For each testcase:

- The first line contains two integers $n, k\left(1 \leq n, k \leq 2 \times 10^{5}\right)$, denoting the size of $S$ before the game started and the number of rounds.
- The next line contains $n$ distinct natural numbers $a_{1}, a_{2}, \cdots, a_{n}\left(0 \leq a_{i} \leq 10^{6}\right)$, denoting $S$.

It is guaranteed that $\sum n, \sum k \leq 2 \times 10^{5}$.

## Output

For each testcase, output one line consisting of the name of the winner. If St. Alice won output Alice, otherwise output Bob.

## Example



