## Problem I. Interpolate

Input file:
Output file:
Time limit:
Memory limit
standard input
standard output
1 second
256 mebibytes

A Zhegalkin polynomial is a boolean function $f\left(x_{1}, \ldots, x_{n}\right)$ which is represented as follows:

$$
f\left(x_{1}, \ldots, x_{n}\right)=\bigoplus_{S \subseteq\{1,2, \ldots, n\}} a_{S} \cdot \bigwedge_{i \in S} x_{i},
$$

where $\oplus$ and $\wedge$ stand for XOR and AND boolean operations respectively, XOR is taken over all subsets of variables, and $a_{S} \in\{0,1\}$ for each subset $S$ of $\{1,2, \ldots, n\}$.
In this task you are given $m$ sets of variable values $\left(v_{i 1}, \ldots, v_{i n}\right)$ and $m$ boolean values $y_{i} \in\{0,1\}$. You have to construct a Zhegalkin polynomial with at most 9000 non-zero terms satisfying $f\left(v_{i 1}, \ldots, v_{i n}\right)=y_{i}$ for each $i=1,2, \ldots, m$.

## Input

The first line contains two integers $n$ and $m$ - the number of variables and the number of given variable values ( $1 \leq n, m \leq 2000$ ).
Each of the following $m$ lines contains a string of $n$ characters 0 or 1 representing the $i$-th set of variable values, followed by the integer $y_{i}$.
It is guaranteed that all sets of variable values are distinct and $y_{i}=1$ for at least one set.

## Output

Your polynomial has to contain at most 9000 terms having $a_{S}=1$. For each such term print its corresponding subset $S$ of variables as a string of $n$ characters 0 or 1 such that $i$-th character equals 1 if $i \in S$ and 0 otherwise. You can output the terms in any order but there should be no repeating subsets. If there are multiple possible answers, output any of them. If the solution does not exist, output -1 .

It is guaranteed that if the solution exists, then the solution with at most 9000 terms $S$ having $a_{S}=1$ exists as well.

## Examples

| standard input |  | standard output |  |
| :--- | :--- | :--- | :--- |
| 2 | 3 | 1 | 00 |
| 10 | 1 |  |  |
| 11 | 1 | 2 | 100 |
| 3 | 2 | 0 | 010 |
| 111 | 1 | 001 |  |

## Note

One of the possible answers to the first sample is $f\left(x_{1}, x_{2}\right)=1$.
In the second sample $f\left(x_{1}, x_{2}, x_{3}\right)=x_{1} \oplus x_{2} \oplus x_{3}$ is one of the possible answers.

