Rooted Tree

Input file:	`standard input`
Output file:	`standard output`
Time limit:	1.5 seconds
Memory limit:	512 megabytes

You are given a rooted tree that initially contains only a single vertex (which is the root vertex). A vertex is considered a *leaf* if it does not have any children. You have the ability to perform a specific operation exactly K times on this tree, according to the following steps:

- Choose a leaf vertex u randomly with uniform probability.
- Add M new leaf vertices as children of vertex u.

Define the depth of the vertex u (denoted by $d(u)$) as follows:

- For the root vertex, $d(u) = 0$.
- For any other vertex, $d(u) = d(v) + 1$, where v is the parent of vertex u.

Your task is to determine the expected value of the sum of the depths of all vertices in the tree after performing the specified operation K times, modulo $(10^9 + 9)$.

Input

The first line of the input contains two integers M and K ($1 \leq M \leq 100$, $1 \leq K \leq 10^7$).

Output

Output a single line contains a single integer, indicating the answer modulo $(10^9 + 9)$.

Formally, assuming the answer is simplified to the form p/q (i.e., p and q are coprime), please output x such that $qx \equiv p \pmod{(10^9 + 9)}$, and $0 \leq x < 10^9 + 9$. It can be proven that x exists and is unique.

Examples

standard input	standard output
6 2	18
2 6	600000038
83 613210	424200026