# Periodic Sequence

Input file: standard input
Output file: standard output
Time limit: 3 seconds
Memory limit: 1024 megabytes

This is another story of Kevin, a friend of Little Cyan Fish.

Kevin is the chief judge of the International Convex Polygon Championship (ICPC). He proposed a geometry task for the contest. However, since he is inexperienced in computational geometry, he couldn't generate a correct convex polygon for the tests of the task. Thus, he shifted his focus to a string-related problem.

In this problem, we will assume all strings consist of lowercase letters only. For a string $S = S_0S_1 \cdots S_{|S|-1}$, we will use $|S|$ to denote the length of the string, and $S_i$ to denote the $(i+1)$-th character of the string. For instance, for $S = \texttt{xiaoqingyu}$, it holds that $|S| = 10$, with $S_0 = \texttt{x}$, $S_1 = \texttt{i}$, and $S_9 = \texttt{u}$.

A string $T$ is defined as a *period* of another string $S$ if and only if for every $0 \le i < |S|$, the equality $S_i = T_{i \bmod |T|}$ holds. For example, "ccpc" is a period of "ccpcccpc" and "ccpccc", whereas "cpc" is not a period of "ccpc".

Kevin defines that a sequence of strings $[S_1, S_2, \cdots, S_k]$ is called *periodic* if and only if it satisfies:

- $S_i \ne S_j$ for all $1 \le i < j \le k$
- $S_i$ is a period of $S_{i+1}$ for all $1 \le i < k$

Kevin loves the concept of *periodic*, so he asks Little Cyan Fish the following problem:

- For a given integer $n$, what is the length (denoted by $\ell$) of the longest periodic sequence $S_1, S_2, \cdots, S_\ell$, satisfying $|S_i| \le n$ for all $1 \le i \le \ell$.

Let $f(n)$ be the answer to the problem above for a fixed integer $n$. Little Cyan Fish feels the problem is too easy, so he is wondering the value of $f(1), f(2), \ldots, f(N)$. Can you help him to calculate the values?

Since the values can be huge, you only need to output the answers modulo a given prime number $M$.

## Input

The first line of the input contains two integers $N$ and $M$ ($1 \le N \le 2 \times 10^5$, $5 \times 10^8 \le M \le 1.01 \times 10^9$).

It is guaranteed that $M$ is a prime number.

## Output

Output a single line with $N$ integers, indicating the values of $f(1), f(2), \ldots, f(N)$, modulo $M$.

## Example

| standard input | standard output |
|---|---|
| 5 1000000007 | 1 3 6 11 19 |

## Note

For the first testcase, we have $f(1) = 1$, $f(2) = 3$, $f(3) = 6$.

For $n = 1$, one of the possible periodic sequences is [a].

For $n = 2$, one of the possible periodic sequences is [ab, a, aa].

For $n = 3$, one of the possible periodic sequences is [abc, ab, aba, a, aaa, aa]