## Task 4: Coins

Benson has $n$ coins of different weights, and a weighing balance. Whenever he puts two coins $x$ and $y$ on the weighing balance, the relative weights between the coins is revealed, so that he knows which of $x$ and $y$ is heavier.

The rank of coin $x$ is equal to the number of coins not heavier than coin $x$ (including itself), so that the lightest coin has rank 1, second lightest coin has rank 2, etc. and the heaviest coin has rank $n$.

A coin has a determined rank, based on the existing weighings, if there is only one possible rank for the coin.

For each of the $n$ coins, help Benson determine the first weighing which makes the coin's rank determined, or decide that the coin's rank is never determined.

## Input format

Your program must read from standard input.
The first line of input will contain 2 spaced integers $n$ and $m$.
The next $m$ lines of input will contain 2 integers, $x$ and $y$, indicating that coin $x$ is lighter than coin $y$.

## Output format

Output $n$ integers. If coin $i$ does not have a determined rank after all $m$ measurements, the $i$-th integer should be -1 . Else, there exists some $k$ in which coin $i$ has a determined rank after $k$ weighings, but does not have a determined rank after $k-1$ weighings. Output this value of $k$.

## Subtasks

For all subtasks, it is guaranteed that:

- $2 \leq n \leq 200000$
- $1 \leq m \leq 800000$
- $1 \leq x[i], y[i] \leq n$ for all $1 \leq i \leq m$
- There exists a set of weights such that coin $x[i]$ is lighter than coin $y[i]($ for all $1 \leq i \leq m)$.

Your program will be tested on input instances that satisfy the following restrictions:

| Subtask | Marks | Additional Constraints |
| :---: | :---: | :---: |
| 0 | 0 | Sample Testcases |
| 1 | 6 | $1 \leq n \leq 7,1 \leq m \leq 20$ |
| 2 | 16 | $1 \leq n \leq 100,1 \leq m \leq 400$ |
| 3 | 10 | $1 \leq n \leq 1000,1 \leq m \leq 4000$ |
| 4 | 68 | No additional constraints |

For each subtask, you will get $50 \%$ of the points if your program correctly determines whether each coin is determined at the end of all $m$ weighings.

Specifically, if you output $n$ integers such that

- If the $i$-th coin's rank is not determined at the end of $m$ measurements, the $i$-th integer is $-1$
- If the $i$-th coin's rank is determined at the end of $m$ measurements, the $i$-th integer is any integer from 1 to $m$ inclusive,
then you will score $50 \%$ of the points for that subtask.


## Sample Testcase 1

|  |  | Input |  | Output |  |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 4 | 4 |  | 3 | -1 | -1 |
| 2 | 4 |  |  |  |  |
| 3 | 1 |  |  |  |  |
| 4 | 1 |  |  |  |  |
| 2 | 3 |  |  |  |  |

## Explanation for sample testcase 1

We can determine after the first 3 measurements that coin 1 is the heaviest coin, but we are unable to do so by looking at only the first 2 measurements. Therefore, the first integer in the correct output is 3 .

Similarly, we can determine that coin 2 is the lightest coin after 4 measurements, but not after 3 measurements. So, the second integer in the correct output is 4 .

Observe that both orderings $2,4,3,1$ and $2,3,4,1$ are both valid orderings of the coin weights. Thus the coin 3 can have rank 2 or 3 , both consistent with all weighings, and thus coin 3 never has a determined rank. Similarly, coin 4 never has a determined rank.

If your output was $1 \quad 1-1-1$, you would score $50 \%$ of the points for this subtask.

## Sample Testcase 2

|  | Input |  |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 6 | 8 | 8 | 5 | 5 | 5 | 6 |  |  |
| 1 | 5 |  |  |  |  |  |  |  |
| 5 | 4 |  |  |  |  |  |  |  |
| 6 | 2 |  |  |  |  |  |  |  |
| 2 | 5 |  |  |  |  |  |  |  |
| 4 | 3 |  |  |  |  |  |  |  |
| 6 | 1 |  |  |  |  |  |  |  |
| 6 | 5 |  |  |  |  |  |  |  |
| 2 | 1 |  |  |  |  |  |  |  |

