



Problem B. Binary Search Tree

Input file:standard inputOutput file:standard outputTime limit:2 secondsMemory limit:256 mebibytes

This problem is about Binary Search Trees (BST), a basic data structure. The structure is a rooted binary tree which stores values in its nodes. If node x contains value a, all values in the left subtree of x are less than a, and all values in the right subtree of x are greater than a.

In order to unify the details, we provide an implementation of finding a value a in a BST rooted at node x:

void find(x, a) {
 if (x == 0 || w[x] == a) return;
 if (w[x] > a) find(l[x], a);
 else find(r[x], a);
}

Here, l[x] is the left child of x, r[x] is the right child of x, and w[x] is the value of x. Specifically, if x does not have a left child (right child), l[x] (r[x]) is 0.

We define A(root, a) as the array of all nodes visited by find(root, a). We also define the cost of find(root, a) as

$$\sum_{v \in A(root,a)} w[v].$$

Now there are n empty BSTs and m operations. Your task is to process these operations quickly. There are two different kinds of operations:

- "1 l r w". For each $i \in [l, r]$, insert an integer w into the *i*-th BST. It is guaranteed that w is not present in these BSTs. Insertion starts at the root, goes the same as find, but instead of making the last find(0, w) call, creates a new node with value w there and returns.
- "2 x a". Calculate the cost of finding a in the x-th BST.

Input

The first line contains two integers, n and m $(1 \le n, m \le 2 \cdot 10^5)$, indicating the number of BSTs and the number of operations.

Then *m* lines follow. Each line contains description of an operation and is formatted as either "1 l r w" $(1 \le l \le r \le n; 1 \le w \le 10^9)$ or "2 x a" $(1 \le x \le n; 1 \le a \le 10^9)$.

It is guaranteed that all inserted numbers (w in operations of the first kind) are different from each other.

Output

For each operation of the second kind, output a single line with a single integer: the cost.

Example

standard input	standard output
3 9	2
1 1 2 2	2
1 1 3 1	2
1 2 3 3	5
2 1 2	4
2 1 4	4
2 2 2	
2 2 4	
2 3 2	
2 3 4	