## Problem M. Number of Colorful Matchings

| Input file: | standard input |
| :--- | :--- |
| Output file: | standard output |
| Time limit: | 2 seconds |
| Memory limit: | 512 mebibytes |

You are given a graph $G$ with $n$ black nodes and $n$ white nodes, where every edge can only connect a black node and a white node (in other words, the graph is bipartite).
Each edge in $G$ has a color: either blue or red. No two edges of the same color can connect the same pair of vertices (in other words, there are no same-color parallel edges).

For every $k$ from 0 to $n$, please count the number of perfect matchings in $G$ that contain exactly $k$ red edges and $n-k$ blue edges. Recall that a perfect matching is a subset of $n$ edges in which no two edges can share a common endpoint. Since the number could be large, you are only required to output the answers modulo 2 .

## Input

The first line contains a non-negative integer $n(1 \leq n \leq 300)$.
Each of the next $n$ lines contains $n$ characters with no spaces. Together, these lines describe the adjacency matrix of red edges. The $j$-th character on the $i$-th line is " 1 " if there is one red edge connecting the $i$-th black node and the $j$-th white node, and " 0 " otherwise.
The next $n$ lines describe the adjacency matrix of blue edges, in the same format as above.

## Output

Output $n+1$ lines containing your answers for $k=0,1,2, \ldots, n$ respectively. Remember that you only need to output the answer modulo 2 .

## Example

| standard input |  | standard output |
| :--- | :--- | :--- |
| 2 | 0 |  |
| 11 | 0 | 1 |
| 00 |  |  |
| 11 |  |  |

## Note

In the example, there exist three perfect matchings:

1. red $(1,1)$, blue $(2,2)$

2 . red $(1,2)$, blue $(2,1)$
3 . red $(1,2)$, red $(2,1)$

